

AMS 206 (Applied Bayesian Statistics)

Incorporating .pdf Plots Into LaTeX

In an R tutorial on the course web page, I showed you how to use the `pdf` function in R to spool a plot into a `.pdf` file; here's an example of how to incorporate such plots into a LaTeX document.

Table 1 presents the R code used to make the plot presented below and illustrates the use of the `table` environment in LaTeX. Let's suppose that you have a directory called `AMS-206` in which you keep all of your files for this course.

Table 1: R code to create the plot incorporated into this document.

```
# code to illustrate various aspects of plotting functions in R
#
# here you would use a setwd command (or the 'Change dir...' option
# from the File pull-down menu in R) to ensure that the .pdf file
# is stored in your directory AMS-206
#
p <- seq( 0.001, 0.999, length = 500 )
plot( p, log( p / ( 1 - p ) ), type = 'l', lwd = 2,
      ylab = 'logit( p ) = log( p / ( 1 - p ) )' )
text( 0.4, 4.0, 'this is the logistic or logit transformation;' )
text( 0.4, 3.25, 'it maps probabilities onto the whole real line' )
lines( p, 4 * p - 2, lty = 2, lwd = 2, col = 'red' )
text( 0.6, -4.0, "it's approximately linear for p in ( 0.3, 0.7 )" )
#
# use this code to make a PDF file to incorporate into your Latex document
#
pdf( 'ams-206-logit-plot.pdf' )
plot( p, log( p / ( 1 - p ) ), type = 'l', lwd = 2,
      ylab = 'logit( p ) = log( p / ( 1 - p ) )' )
text( 0.4, 4.0, 'this is the logistic or logit transformation;' )
text( 0.4, 3.25, 'it maps probabilities onto the whole real line' )
lines( p, 4 * p - 2, lty = 2, col = 'red' )
text( 0.6, -4.0, "it's approximately linear for p in ( 0.3, 0.7 )" )
dev.off( )
```

Figure 1 displays the `.pdf` graph created with the R code in Table 1. To use the `includegraphics` command in LaTeX, you'll need to include the `graphicx` package in the `usepackage` specification in the preamble of your LaTeX document (the second line of LaTeX code in this document).

Figure 1: A plot of $\text{logit}(p)$ against p , to examine its nonlinearity.

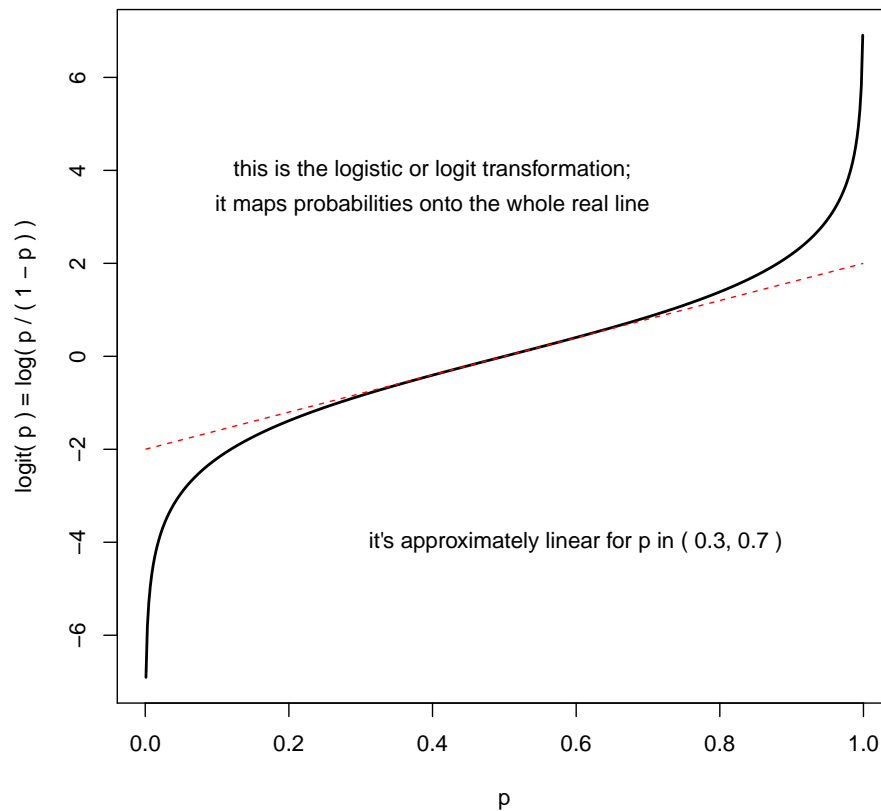


Table 2: *Maple* code to work out the Taylor expansion of $\text{logit}(p)$ around $p = 0.5$ to third order.

```
help( taylor );  
taylor( log( p / ( 1 - p ) ), p = 0.5, 3 );  
  
4.000000000 ( p - 0.5 ) + 0[ ( p - 0.5 )^3 ]
```

Table 2 gives *Maple* code that computes the linear Taylor expansion used to plot the dotted line in Figure 1. You can see that there is no quadratic term in this expansion; this explains why the linear approximation is so good over such a wide range of values of p .